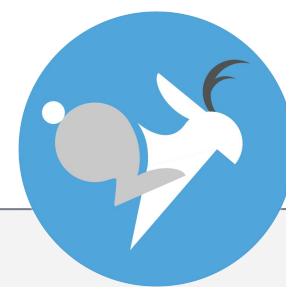
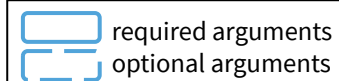


nimble models: : CHEAT SHEET



NIMBLE workflow



Write model code `nimbleCode()` NIMBLE lang
`readBUGSmodel()` read BUGS

Create model object `nimbleModel()`

```
myModel <- nimbleModel(
  code = modelCode,
  constants = list(N = 8,
    numGroups = 4, ...),
  data = list(y = myData,
    X = myCovs),
  inits = list(beta0 = 0,
    beta1 = 0, ...))
```

from `nimbleCode()` constants of the model, e.g. for-loop ranges, known index vectors
values to label as data nodes
starting values for the parameters

constants **can't be** changed after creating a model
data & inits **can** be changed

Configure an MCMC algorithm `configureMCMC()` **Advanced customization**

Build an MCMC object `buildMCMC()`

```
myMCMC <- buildMCMC(
  conf = [myModel|myConf],
  monitors = c("beta0", ...),
  thin = 10,
  monitors2, thin2)
```

model object or MCMC configuration
variables names for MCMC output
thinning interval a second set of variables with its own thinning

Run MCMC `runMCMC()` using MCMC object
`nimbleMCMC()` one-line invocation

Compile in C++ for faster execution

```
compMCMC <- compileNimble(
  myMCMC, project = myModel)
```

MCMC from `buildMCMC()` compiled or uncompiled

```
samples <- runMCMC(
  mcmc = compMCMC,
  iter=1000, nburnin=100)
```

number of MCMC iterations & burnin

```
samples <- nimbleMCMC(
  code = modelCode,
  data, constants, inits,
  niter, nburnin)
```

from `nimbleCode()` as in `nimbleModel()`
number of MCMC iterations & burnin

Writing model code

Split code over multiple lines to help people read it.

Use named arguments
for non-default parameterization
e.g. `beta0` and `beta1` follow equivalent distributions (default is precision, `tau`).

Link functions
can be declared on the left-hand side.

Order of declaration does not matter
`alpha[iGroup]` can be declared after being used in other declarations.

```
modelCode <- nimbleCode({
  beta0 ~ dnorm(0, sd = 1000)
  beta1 ~ dnorm(0, 1E-6)
  sdGroups ~ dunif(0, 100)
  fixed_effects[1:N] <- beta0 + beta1 * X[1:N]
  for(i in 1:N) {
    log(eta[i]) <- fixed_effects[i] +
      alpha[groupID[i]]
    y[i] ~ dpois(eta[i])
  }
  for(iGroup in 1:numGroups) {
    alpha[iGroup] ~ dnorm(0, sd = sdGroups)
  }
})
```

- Vectorized declarations**
create vector nodes. This means `fixed_effects[1:N]` will be a single node. One vector node vs. multiple scalar nodes give different model graphs, so use with care.
- Provide explicit index ranges**
or use empty brackets (`[]`) and provide the **dimensions** argument to `nimbleModel()`.
- Nested indexing** is a good way to implement experimental groups or factor levels. If groups are known from the design, include them in **constants**.

Using models

Models can be compiled.
`cModel <- compileNimble(myModel)`
In methods below, "model" can be `cModel` or `myModel`.

Models can access and change variables.
`model$beta0 <- 5`
`model[["beta0"]] <- 5`

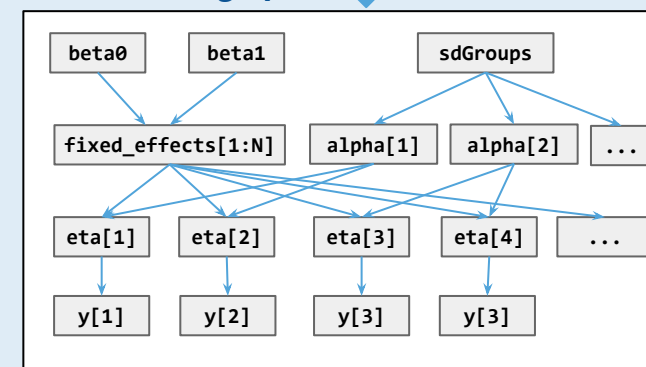
Models can simulate or calculate log-probabilities.
`model$calculate(nodes)`
returns sum of log probability densities.

`model$calculateDiff(nodes)`
returns difference in sum of log probability densities between current and previous node values.

`model$getLogProb(nodes)`
returns sum of most recently calculated log probability densities.

`model$simulate(nodes, includeData = FALSE)`
simulates into stochastic nodes.
`includeData = FALSE` protects data.

Models are graphs



Uncompiled models can be debugged, updated, and copied.

Flag nodes as data and set inits

```
myModel$setData("y")
myModel$setInits(inits)
```

Debug model errors

```
myModel$check()
check for missing/invalid values.
myModel$initializeInfo()
which nodes are not fully initialized?
```

```
myModel$checkBasics()
check for size/dimension mismatches and NA.
```

Make a copy

```
myModel$newModel(replicate = TRUE)
```

Models know properties of nodes.

```
model$getDimension(node)
model$getDistribution(nodes)
model$isDeterm(nodes)
model$isStoch(nodes)
model$isData(nodes)
model$isDiscrete(nodes)
model$isMultivariate(nodes)
model$isBinary(nodes)
model$isEndNode(nodes)
model$isTruncated(nodes)
```

Models know about nodes, variables and relationships.

```
model$getNodeNames()
returns node names
e.g. "eta[1]", "eta[2]", ...
```

```
model$getVarNames()
returns variable names
e.g. "eta"
```

```
model$expandNodeNames(nodes)
e.g. "y" is expanded to "y[1]", "y[2]", ...
```

```
model$getDependencies(nodes, ...)
returns nodes that depend on input nodes.
```

nimble distributions and functions: : CHEAT SHEET



Declarations

STOCHASTIC

$x \sim \text{ddist}(\text{args})$

DETERMINISTIC

$z \leftarrow \text{fn}(\text{args})$

TRUNCATED STOCHASTIC

$x \sim \text{T}(\text{ddist}(\text{args}), \text{min}, \text{max})$

CENSORED STOCHASTIC

$\text{seg} \sim \text{dinterval}(t, c[1:n\text{Segments}])$

$t \sim \text{ddist}(\text{args})$

CONSTRAINT

$\text{one} \sim \text{dconstraint}(\text{condition})$

Deterministic Functions

SCALAR or COMPONENT-WISE

Logical: `|`, `&`, `!`, `>`, `>=`, `<`, `<=`, `!=`, `==`, `equals`, `step`

Arithmetic: `+`, `-`, `*`, `/`, `^`, `pow(x, y)`, `%`, `exp`, `log`, `sqrt`, `abs`, `cube`

Trigonometric: `sin`, `cos`, `tan`, `asin`, `acos`, `atan`, `asinh`, `acosh`, `atanh`

Links: `logit`, `probit`, `cloglog`
(links can also be used on left-hand side of a declaration)

Inverse links: `ilogit/expit`, `iprobit/phi`, `icloglog`

Rounding: `ceiling`, `floor`, `round`, `trunc`

Specials: `lgamma/loggam`, `besselK`, `log1p`, `lfactorial`, `logfact`

Distributions: `d`, `p`, `q`, `r` forms of available distributions can be used as deterministic functions.

VECTOR and/or MATRIX

Returning scalar: `inprod`, `logdet`, `sum`, `mean`, `sd`, `prod`, `min`, `max`

Returning vector: `pmin`, `pmax`, `eigen(x)$values`, `svd(x)$d`

Returning matrix: `inverse`, `chol`, `%%`, `t`, `solve`, `forwardsolve`, `backsolve`, `eigen(x)$vectors`, `svd(x)$u`, `svd(x)$v`

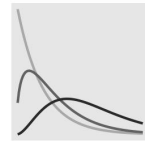
Univariate Distributions

Continuous



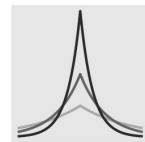
BETA

$y \sim \text{dbeta}([\text{shape1}, \text{shape2} \mid \text{mean}, \text{sd}])$
 $\text{shape1} = \text{mean}^2 * (1 - \text{mean}) / \text{sd}^2 - \text{mean}$
 $\text{shape2} = \text{mean} * (1 - \text{mean})^2 / \text{sd}^2 + \text{mean} - 1$



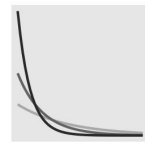
CHI-SQUARE

$y \sim \text{dchisq}(\text{df})$



DOUBLE EXPONENTIAL (LAPLACE)

$y \sim \text{ddexp}(\text{location}, [\text{scale} \mid \text{rate} \mid \text{var}])$
 $\text{scale} = 1/\text{rate}$
 $\text{scale} = \text{sqrt}(\text{var}/2)$



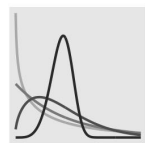
EXPONENTIAL

$y \sim \text{dexp}([\text{rate} \mid \text{scale}])$
 $\text{rate} = 1/\text{scale}$



FLAT (improper)

$y \sim \text{dflat}()$



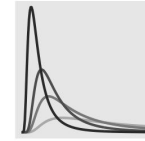
GAMMA

$y \sim \text{dgamma}([\text{shape}, [\text{rate} \mid \text{scale}]] \mid [\text{mean}, \text{sd}])$
 $\text{scale} = 1/\text{rate}$
 $\text{shape} = \text{mean}^2 / \text{sd}^2$
 $\text{scale} = \text{sd}^2 / \text{mean}$



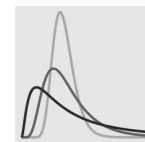
HALF FLAT (improper)

$y \sim \text{dhalfflat}()$



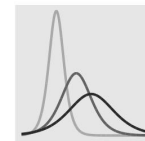
INVERSE GAMMA

$y \sim \text{dinvgamma}(\text{shape}, [\text{rate} \mid \text{scale}])$
 $\text{rate} = 1/\text{scale}$



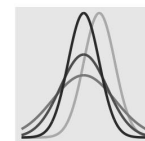
LOGISTIC

$y \sim \text{dlogis}(\text{location}, [\text{rate} \mid \text{scale}])$
 $\text{scale} = 1/\text{rate}$



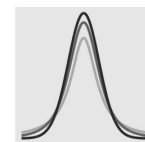
LOG-NORMAL

$y \sim \text{dlnorm}(\text{meanlog}, [\text{taulog} \mid \text{sdlog} \mid \text{varlog}])$
 $\text{sdlog} = 1/\text{sqrt}(\text{taulog})$
 $\text{sdlog} = \text{sqrt}(\text{varlog})$



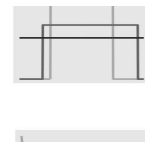
NORMAL

$y \sim \text{dnorm}(\text{mean}, [\text{tau} \mid \text{sd} \mid \text{var}])$
 $\text{sd} = 1/\text{sqrt}(\text{tau})$
 $\text{sd} = \text{sqrt}(\text{var})$



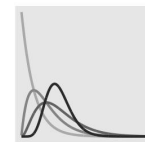
STUDENT T

$y \sim \text{dt}(\text{mu}, [\text{tau} \mid \text{sigma} \mid \text{sigma2}], \text{df})$
 $\text{sigma} = 1/\text{sqrt}(\text{tau})$
 $\text{sigma} = \text{sqrt}(\text{sigma2})$



UNIFORM

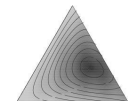
$y \sim \text{dunif}(\text{min}, \text{max})$



WEIBULL

$y \sim \text{dweib}(\text{shape}, [\text{lambda} \mid \text{scale} \mid \text{rate}])$
 $\text{scale} = \text{lambda}^{(-1/\text{shape})}$
 $\text{scale} = 1/\text{rate}$

Multivariate distributions



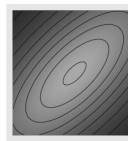
DIRICHLET

$y[] \sim \text{ddirch}(\text{alpha}[])$



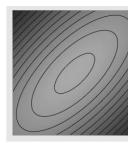
MULTINOMIAL

$y[] \sim \text{dmulti}(\text{prob}[], \text{size})$



MULTIVARIATE NORMAL

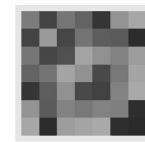
$y[] \sim \text{dmnorm}(\text{mean}[], [\text{prec}[,] \mid \text{cov}[,] \mid \text{cholesky}[,,], \text{prec_param}])$



MULTIVARIATE STUDENT T

$y[] \sim \text{dmvt}(\text{mu}[], [\text{prec}[,] \mid \text{scale}[,] \mid \text{cholesky}[,,], \text{df}, \text{prec_param}])$

$\text{cholesky} = \text{chol}(\text{prec}) : \text{prec_param}=1$
 $\text{cholesky} = \text{chol}(\text{cov}) : \text{prec_param}=0$ for `dmnorm`
 $\text{cholesky} = \text{chol}(\text{scale}) : \text{prec_param}=0$ for `dmvt`
 cholesky is `chol(prec)` when `prec_param=1`,
 $\text{chol}(\text{cov}) \mid \text{chol}(\text{scale})$ when `prec_param=0`



WISHART

$y[,] \sim \text{dwish}([\text{R}[,] \mid \text{S}[,] \mid \text{cholesky}[,,], \text{df}, \text{scale_param}])$

INVERSE WISHART

$y[,] \sim \text{dinvwish}([\text{S}[,] \mid \text{R}[,] \mid \text{cholesky}[,,], \text{df}, \text{scale_param}])$

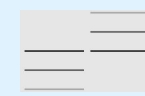
$\text{cholesky} = \text{chol}(\text{R}) : \text{scale_param}=0$
 $\text{cholesky} = \text{chol}(\text{S}) : \text{scale_param}=1$
 cholesky is `chol(S)` when `scale_param=1`,
 $\text{chol}(\text{R})$ when `scale_param=0`

DISTRIBUTION NAME

$y \sim \text{ddist}([\text{default} \mid \text{alternative}])$
 $\text{canonical} = \text{fn}(\text{provided})$

Lifted nodes are inserted when non-canonical parameters are used. Default parameters are not necessarily canonical.

Discrete



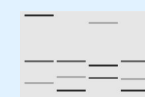
BERNOULLI

$y \sim \text{dbern}(\text{prob})$



BINOMIAL

$y \sim \text{dbinom}(\text{prob}, \text{size})$



CATEGORICAL

$y \sim \text{dcat}(\text{prob})$



NEGATIVE BINOMIAL

$y \sim \text{dnegbin}(\text{prob}, \text{size})$



POISSON

$y \sim \text{dpois}(\text{lambda})$

Distributions for spatial models



CONDITIONAL AUTOREGRESSIVE INTRINSIC (improper)

$y[] \sim \text{dcar_normal}(\text{adj}[], \text{weights}[], \text{num}[], \text{tau}, \text{c}, \text{zero_mean})$

See Ch 9 of User Manual

proper

$y[] \sim \text{dcar_proper}(\text{mu}[], \text{C}[], \text{adj}[], \text{num}[], \text{M}[], \text{tau}, \text{gamma})$

Bayesian nonparametric distributions

See Ch 10 of User Manual



CHINESE RESTAURANT PROCESS

$y[] \sim \text{dCRP}(\text{conc}, \text{size})$
 $\text{conc} = \text{concentration parameter}$



STICK BREAKING PROCESS

$y[] \sim \text{stick_breaking}(z[])$
 $z = \text{vector of breaking points}$

Write you own!

See Ch 12 of User Manual

NIMBLE allows you to write **new distributions and functions** using `nimbleFunction()`.